A A $A =$ —— $=$ A

$\angle A$ $=$ _____ A $\overrightarrow{\quad} \cdot \overrightarrow{\quad} =$ _____

A A

$+$ $A =$

$= \sqrt{\quad}$ A $\dfrac{\sqrt{\quad}}{\quad}$ A

A A

$A +$ $=$ —

$$+ \qquad = \qquad A$$

$$+$$

$$+$$
$$+$$

$$A = \frac{}{} \qquad \sqrt{}$$

$S_{\Delta A}=-\cdot\sqrt{\ }\cdot\ +\ +\ =-\ \ \dfrac{\pi}{\ }\ =\ +\ +\ $ ①

$+\ -\ \dfrac{\pi}{\ }=\ +\ +\ =\ \ (\ +\ )\ -\ =$

① $\left(\dfrac{\ }{\ }-\ \right)-\ =\ \ (\ )-\ =$

$>\ \ =\ \ +\ =\ \ \ =\ \ =$

$\angle A\ =\dfrac{\ +\ -}{\ \times\ \times\ }=-$

$\dfrac{\angle A}{\ }\ \ \angle A\ =\angle\ =\theta$

$\angle A\ =\ \ \theta=-\ \ \ \theta=\sqrt{\dfrac{\ +\ \theta}{\ }}=\dfrac{\sqrt{\ }}{\ }\ \ \theta=\sqrt{\dfrac{\ -\ \theta}{\ }}=\dfrac{\sqrt{\ }}{\ }$

$A\ \ \ \angle A\ =\ -\dfrac{\ }{\ }-\theta=--\theta\ \ \ \ \dfrac{\ }{\ }=\dfrac{A}{\angle A}=\dfrac{\ }{\ --\theta}$

$\dfrac{\pi}{\ }-\theta=\dfrac{\sqrt{\ }}{\ }\ \ \ \theta--\ \ \theta=\dfrac{\sqrt{\ }}{\ }\ \ \ =\ \ \ =\dfrac{\times\dfrac{\sqrt{\ }}{\ }}{\dfrac{\sqrt{\ }}{\ }}=\dfrac{\sqrt{\ }}{\ }\times\dfrac{\ }{\sqrt{\ }}=\dfrac{\sqrt{\ }}{\ }$

$\overrightarrow{\ }\cdot\overrightarrow{\ }=\left|\overrightarrow{\ }\right|\cdot\left|\overrightarrow{\ }\right|\cdot\ \ \theta=\dfrac{\sqrt{\ }}{\ }\times\ \times\dfrac{\sqrt{\ }}{\ }=-$

$\theta=\dfrac{\sqrt{\ }}{\ }$

$\angle A\ \ \ \ A\ \ \ \ \dfrac{\ }{\ }=\dfrac{A}{\ }=-$

$\dfrac{\ }{\ }=\dfrac{A}{\ }\ \ \ \dfrac{A}{\ }=-\ \ \ A\ =\ \ \ A\ =-\times A\ =-$

A

$=A\ +A\ -\ A\ \cdot A\ \cdot\ \ \dfrac{\ }{\ }=\dfrac{\times}{\ }\ \ \ =\dfrac{\sqrt{\ }}{\ }$

$\theta=\dfrac{\sqrt{\ }}{\ }\ \ \ \ _{A}\ =\ _{A}\ +\ \ \ -\ \ \ \theta=-(\ +\ )\cdot\ \cdot\ \theta$

$=\dfrac{\cdot\ \theta}{\ +\ }=\dfrac{\ \theta}{\ }\ -\times\dfrac{\sqrt{\ }}{\ }\ \dfrac{\sqrt{\ }}{\ }$

$\theta=\dfrac{\sqrt{\ }}{\ }\ \ \ \ \theta=\dfrac{\sqrt{\ }}{\ }$

$\overrightarrow{\ }\cdot\overrightarrow{\ }=\left|\overrightarrow{\ }\right|\cdot\left|\overrightarrow{\ }\right|\cdot\ \theta\ \ \ =-\ \cdot\ \cdot\ \theta$

$\overrightarrow{\ }\cdot\overrightarrow{\ }=\dfrac{\ _{\Delta}\ \cdot\ \theta}{\theta}=\sqrt{\ }\ _{\Delta}$

$\angle A\ \ \ \ A\ \ \ \ \dfrac{\ }{\ }=\dfrac{A}{\ }=-$

$_{\Delta}\ =-\ _{\Delta A}$

$\overrightarrow{\quad} \cdot \overrightarrow{\quad} = \sqrt{}_{\Delta} \quad = \sqrt{} \times {\quad} \times {\quad} \qquad A = \dfrac{\sqrt{}}{} \times {\quad} \times \times \times \dfrac{\sqrt{}}{} = {\quad}$

$\angle A \qquad\qquad \dfrac{A}{} = {\quad}$

$\overrightarrow{\quad} = \overrightarrow{A} - \overrightarrow{A} = {\quad}\overrightarrow{A} - \overrightarrow{A} \qquad \overrightarrow{\quad} = \overrightarrow{A} - \overrightarrow{A}$

$\overrightarrow{A} = \quad \overrightarrow{A} = \quad \overrightarrow{A} \cdot \overrightarrow{A} = -$

$\overrightarrow{\quad} \cdot \overrightarrow{\quad} = {\quad}\overrightarrow{A} - \overrightarrow{A} \cdot \overrightarrow{A} - \overrightarrow{A} = {\quad}\overrightarrow{A} + \overrightarrow{A} {\quad} \overrightarrow{A} \cdot \overrightarrow{A} = {\quad}$

$A \qquad\qquad A \qquad\qquad\qquad\qquad\qquad A = {\quad} \quad = \qquad\qquad A$

$\overrightarrow{\quad} \cdot \overrightarrow{\quad} = \overrightarrow{\quad} \cdot \overrightarrow{\quad}$

$\qquad\qquad = \qquad = \qquad =$

$\overrightarrow{\quad} \cdot \overrightarrow{\quad} = \quad \cdot \quad = \qquad \overrightarrow{\quad} \cdot \overrightarrow{\quad} = \quad \cdot \quad = \quad - \qquad =$

$\overrightarrow{\quad} \cdot \overrightarrow{\quad} = \overrightarrow{\quad} \cdot \dfrac{A}{\overrightarrow{\quad}}$

$A \qquad\qquad\qquad\qquad A$

$$\angle A \quad = \quad A+ \quad = \quad A+\angle \quad = \quad A+\angle A \quad = \quad \underline{\quad}+\angle A \quad = \frac{\sqrt{\quad}}{\quad}$$

$$\begin{matrix} & & & & & A & \angle A \\ & & & & = & = & = \end{matrix}$$

$$A \quad -A \quad = \quad - \quad = - \quad = \quad + \quad = \quad = \quad \quad = \quad =$$

$$\frac{\triangle}{\triangle} = \frac{\quad}{\quad} = -$$